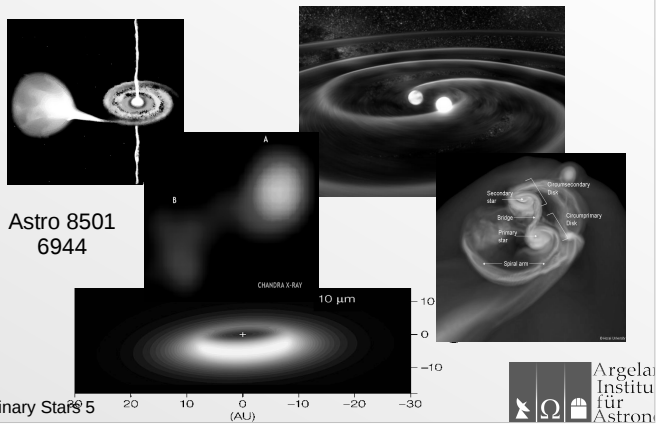
Binary Stars – Lecture 5



Astro 8501
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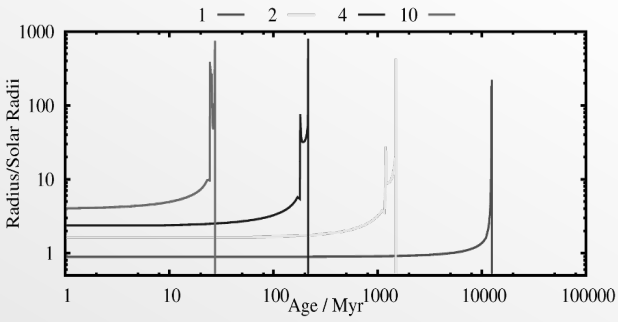
Stellar Evolution



Kepler's Laws

- Bound Orbits are ellipses
- Equal areas swept in equal times

$$P^2 \propto a^3$$

$$\dot{\mathbf{J}} = \mathbf{0} \quad \dot{E} = 0$$

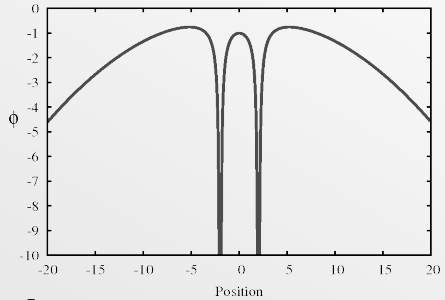
Tides Overview

- Tides synchronise, then circularise
- Rate $\sim (R/a)^{6,8}$
- Close binaries should be sync. and circular
- Assuming $\Omega = \omega \text{ and } e = 0$
  we continue our analysis by moving to close, circular binaries and interaction by exchange of *angular momentum and mass*
- Some assumptions $\longrightarrow$ problem is tractable

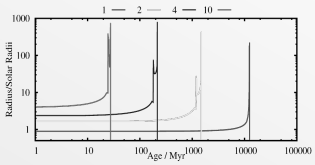
Potential

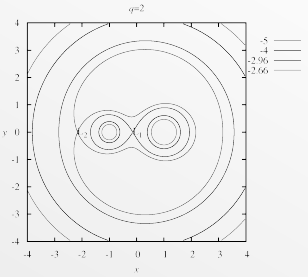
$$\phi = -\frac{GM_1}{r_1} - \frac{GM_2}{r_2} - \frac{1}{2}\omega^2 s^2$$

- Potential due to two point masses in *corotating frame*



Binary Stellar Evolution



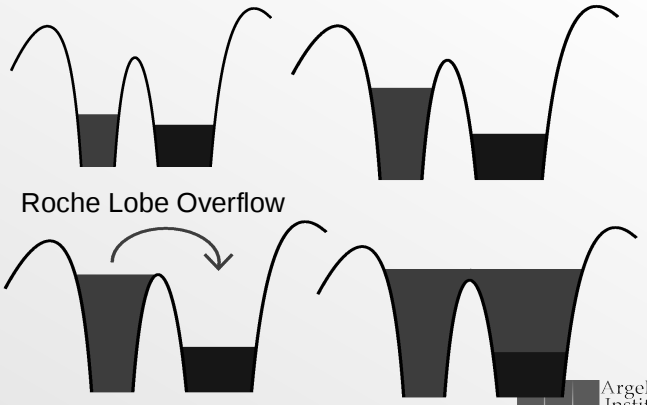


Radius increases with time

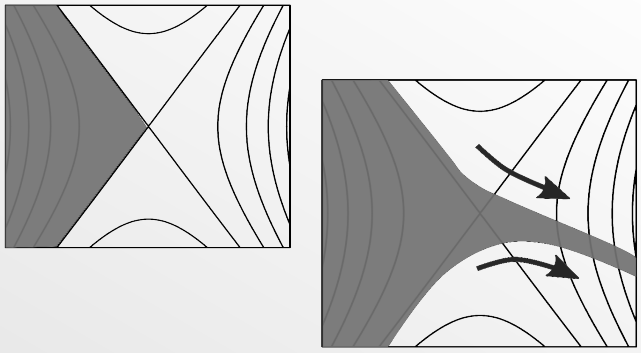
Star will eventually expand beyond R_L

... Then what?

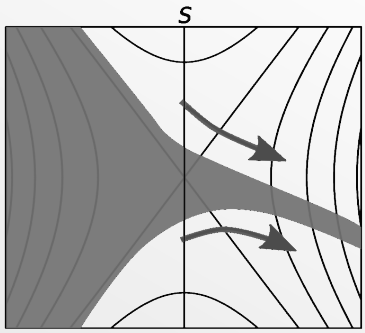
Roche configurations



Roche Overflow



Roche Overflow



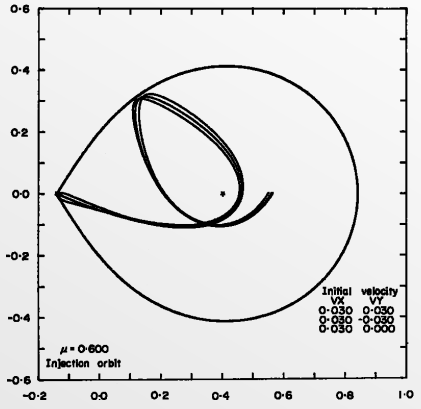
RLOF rates

- Always have $\dot{M}_1$ a strong function of ΔR

$$\Delta R = R - R_L$$

- Hence unless dynamical timescale expansion RLOF is self-regulating with small
- Supersonic (ballistic) flow through L_1
- Streamlines intersect: disc, eventually material hits secondary or direct impact

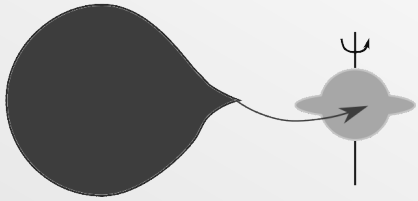
Ballistic Streamlines



Flannery 1975
MNRAS 170,325

Spin up and break up

- Accrete from *Keplerian* disc
- If >10% of mass is accreted: break up!
- Limits accretion
- Unless angular mom. can be removed …
- Tides? Outflow?



Stellar Evolution